



Development And Testing of a 2-Dimensional Multi-Vehicle Bridge-WIM Algorithm

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Presentation Layout

- Project Aims
- Experimental Test Sites
- Influence Line / Surface Generation
- Experimental Results
- Multi-Vehicle Events
- Current Work
- Conclusions

Project Aims

Advance Bridge-WIM systems through:

- Optimum influence line generation
- Adoption of 2-D influence surface:
 - Improve accuracy
 - Cater for multi-vehicle events
 - Supply vehicle transverse position data
- Validation through experimental tests and Finite Element Model

Stockholm Test Site

Östermalms IP:

- 10m span frame bridge
- Heavily trafficked area
- Good road surface



Kramfors Test Site

- 14m span frame bridge
- 1 lane of traffic in each direction
- Rise in approach of one lane

- Carried out in conjunction with SiWIM



Influence Line Generation

Influence Line very important for accurate results

Previous approaches included:

- Modification of theoretical influence line
- '*Point-by-point*' manual method

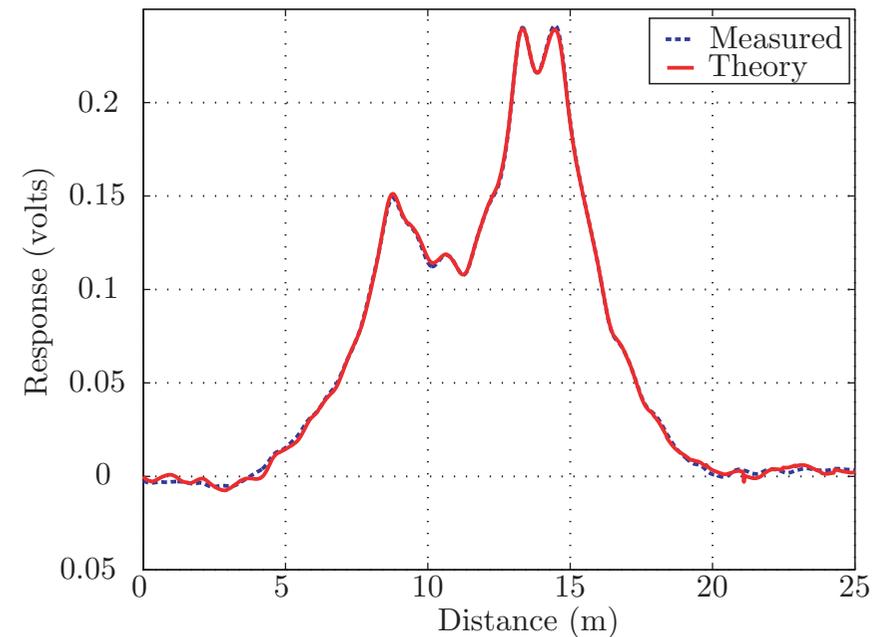
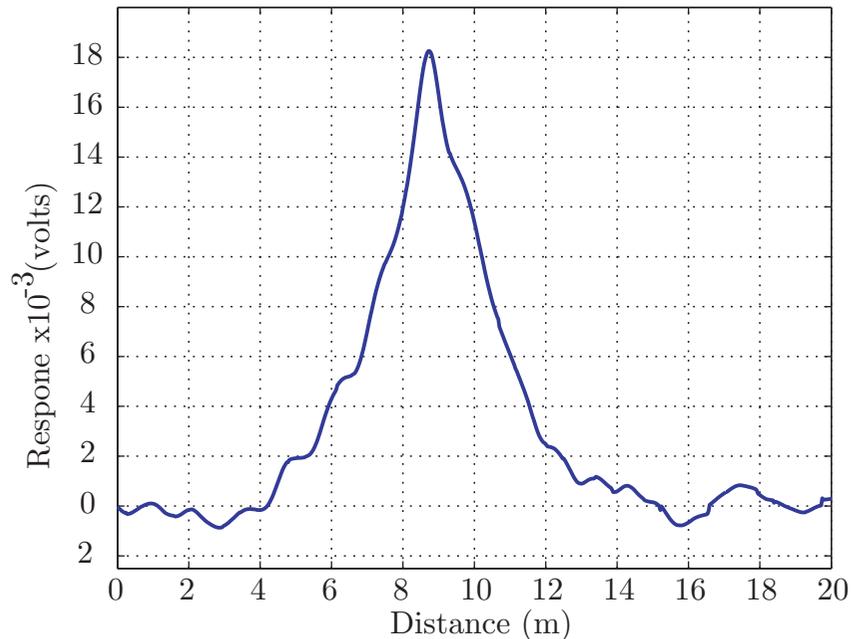
New development:

- Automatic '*matrix type*' method
- Finds optimum influence line to minimise:

$$E = \sum_{k=1}^K \left[M^M(x_k) - M^T(x_k) \right]^2$$

Sample Influence Line

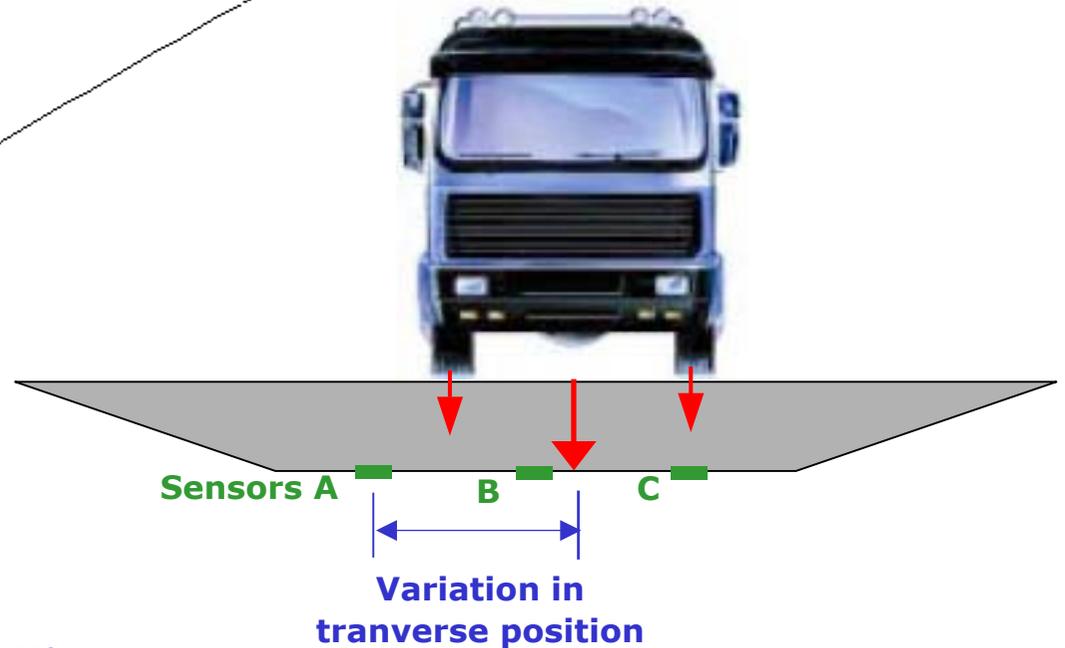
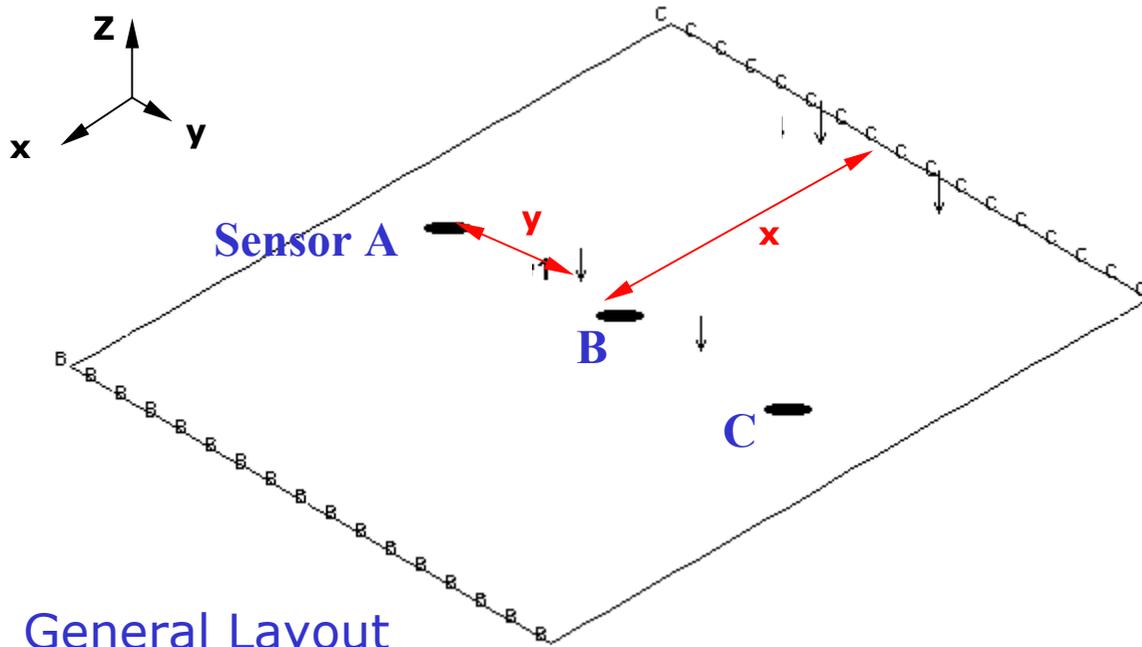
- Influence line derived from sample crossing of 3-axle truck



- Corresponding plot of 'Measured' vs 'Theory' responses

Influence Surface

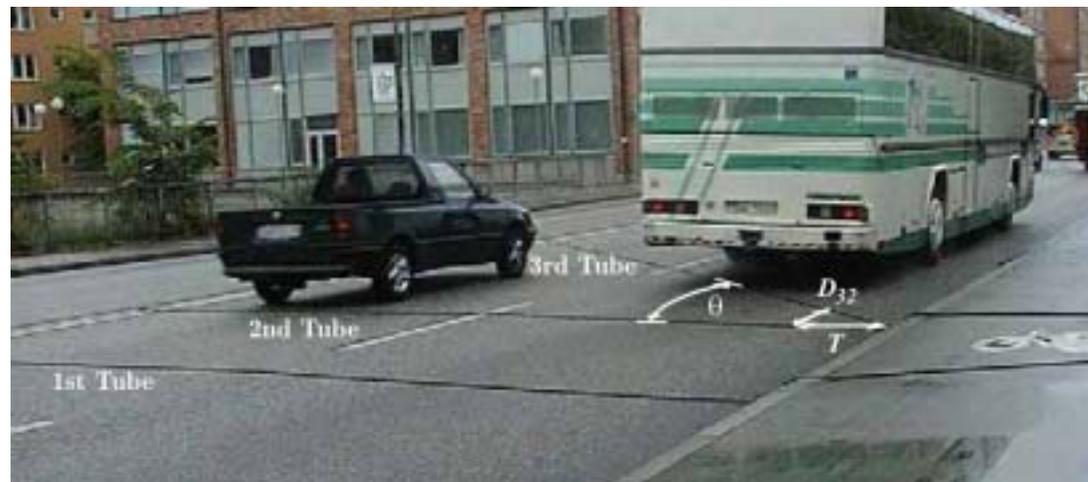
$$E = \left[M_A^M(x, y) - M_A^T(x, y) \right]^2 + \left[M_B^M(x, y) - M_B^T(x, y) \right]^2 + \left[M_C^M(x, y) - M_C^T(x, y) \right]^2$$



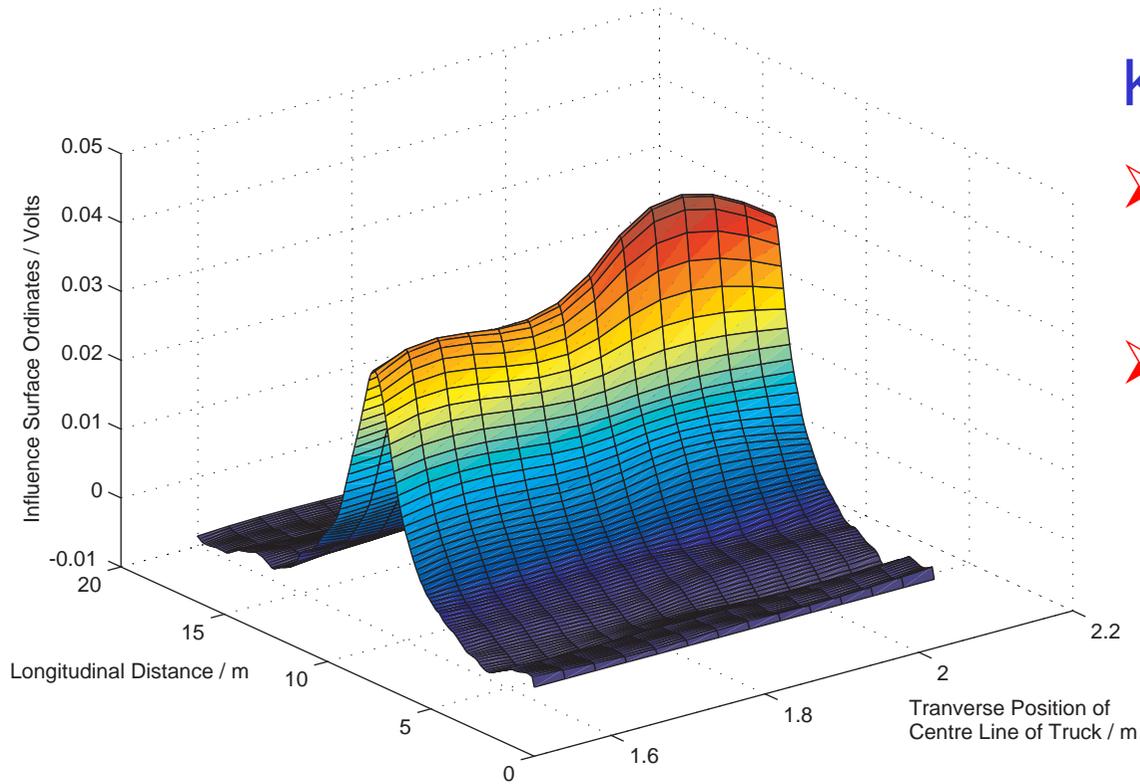
Influence Surface Calibration

Transverse position of calibration truck required:

- Film of sand placed to record tyre imprint
- Reflective strips used with digital video camera
- Third diagonal axle detector

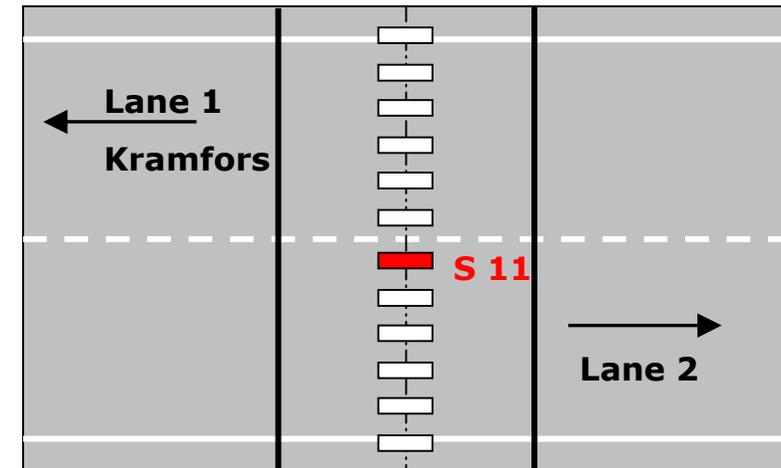


Sample Influence Surface



Kramfors bridge:

- Influence surface for Sensor 11
- Derived from crossings in Lane 2



2-Dimensional Algorithm

- Traditional algorithm used to find initial values, y_0 :
 $y_0 = \{ \text{velocity, axle distance, axle weight} \}$
- Values input into optimisation procedure to minimise:

$$E(y) = \sum_{j=1}^S \sum_{k=1}^K \left[M_j^M(x_k) - M_j^T(x_k) \right]^2$$

- Transverse position of crossing vehicle supplied as output

Östermalms IP Results

Single vehicle events

1-D algorithm:

Criterion	Number	Mean (%)	Std Dev (%)	Class
Gross Weight	23	-0.18	2.75	B(10)
Group of Axles	11	-0.08	2.51	B+(7)
Single Axle	35	-0.39	3.32	B(10)

`Class' takes account of `full repeatability' test conditions

2-D algorithm:

Criterion	Number	Mean (%)	Std Dev (%)	Class
Gross Weight	23	-0.37	1.01	A(5)
Group of Axles	11	0.12	0.52	A(5)
Single Axle	35	-0.87	1.77	A(5)

Improvement in results...

Kramfors Results

Single vehicle events

1-D algorithm:

Criterion	Number	Mean (%)	Std Dev (%)	Class
Gross Weight	19	-0.64	1.99	B(10)
Group of Axles	57	0.37	3.01	B(10)
Single Axle	19	-7.39	3.76	D+(20)

`Class' takes account of `full repeatability' test conditions

2-D algorithm:

Criterion	Number	Mean (%)	Std Dev (%)	Class
Gross Weight	9	0.06	1.00	A(5)
Group of Axles	27	0.96	2.02	B+(7)
Single Axle	9	-5.94	2.70	C(15)



Improvement in results...

Multi-Vehicle Events

Disadvantage of existing algorithms:

- Accuracy affected when car / truck present during measurement
- Suitable length of structure and traffic density related

Östermalms IP bridge:

- High probability of Multi-Vehicle events



Multi-Vehicle Algorithm

Multi-Vehicle algorithm:

- Important to have accurate initial data
- Optimisation function extended to find:
 $y = \{ \text{vel, axle dist, axle weight, trans. psn., time diff} \}$

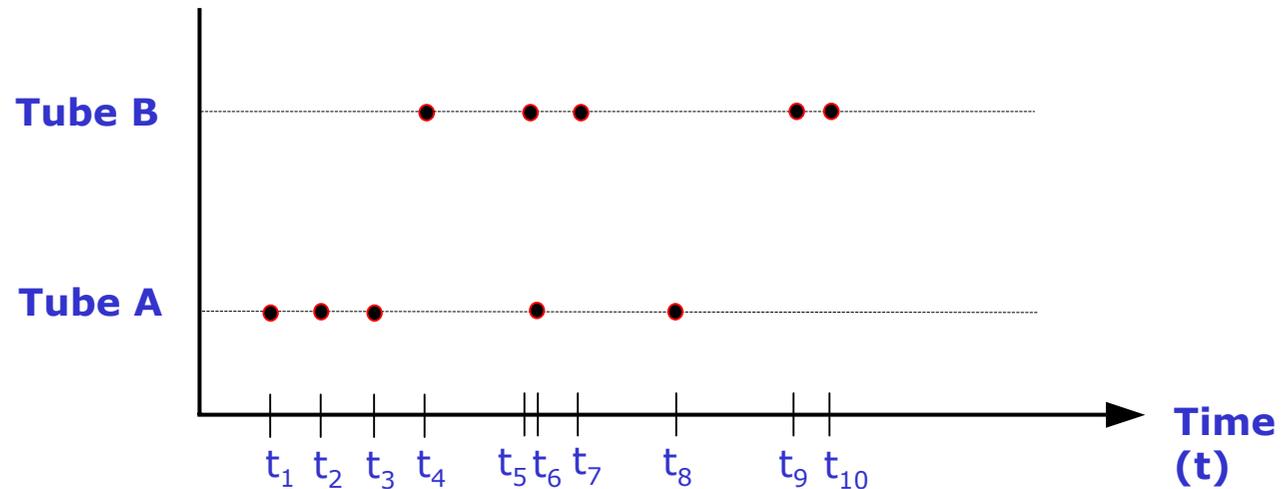
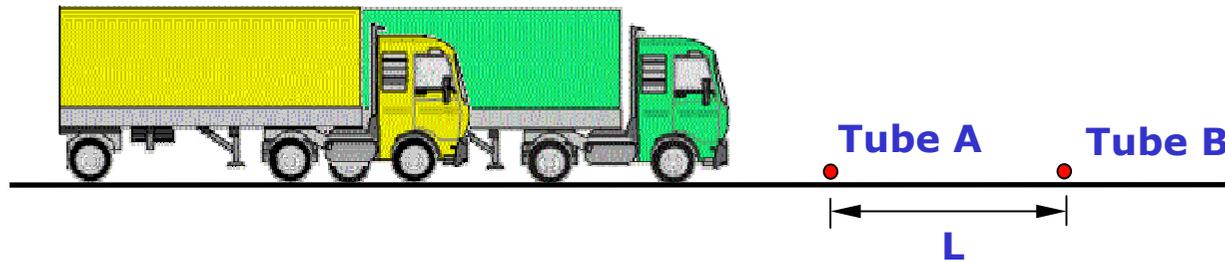
Test at Östermalms IP:

- Most difficult scenario of two trucks travelling side-by-side dealt with

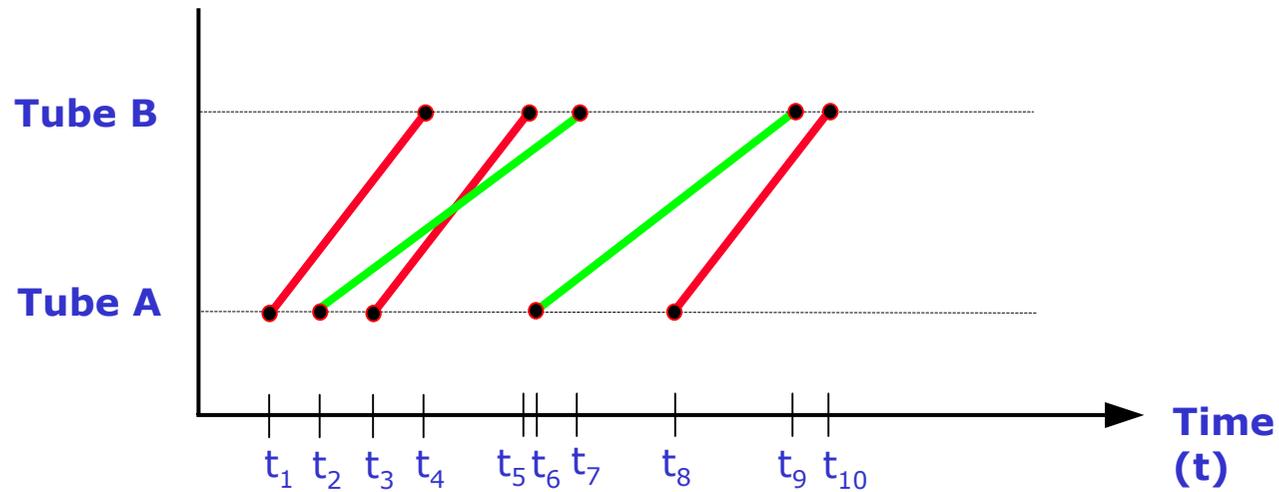
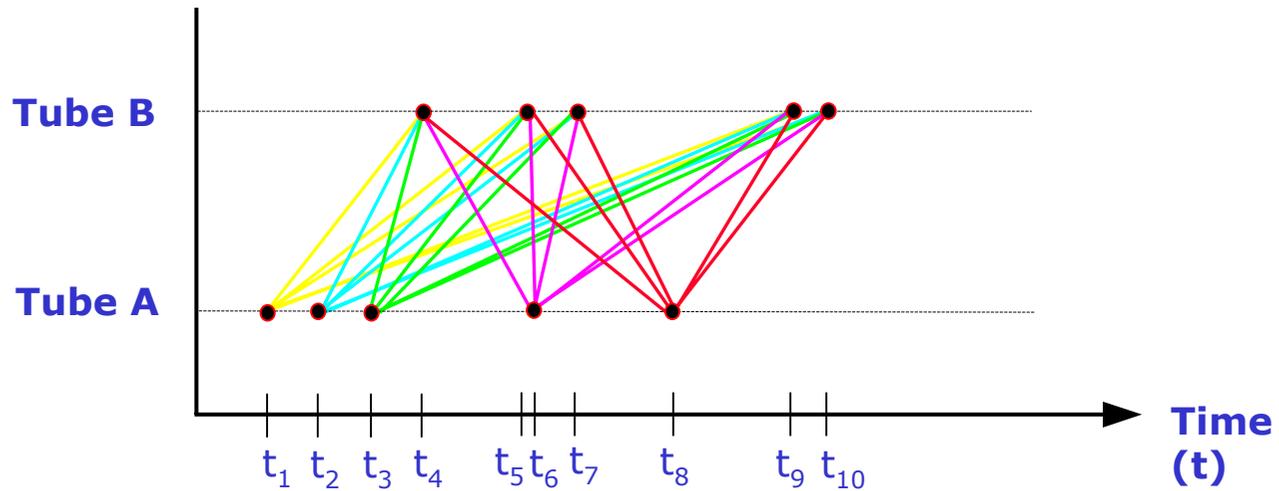


Multi-Vehicle Events

Important to distinguish individual vehicles

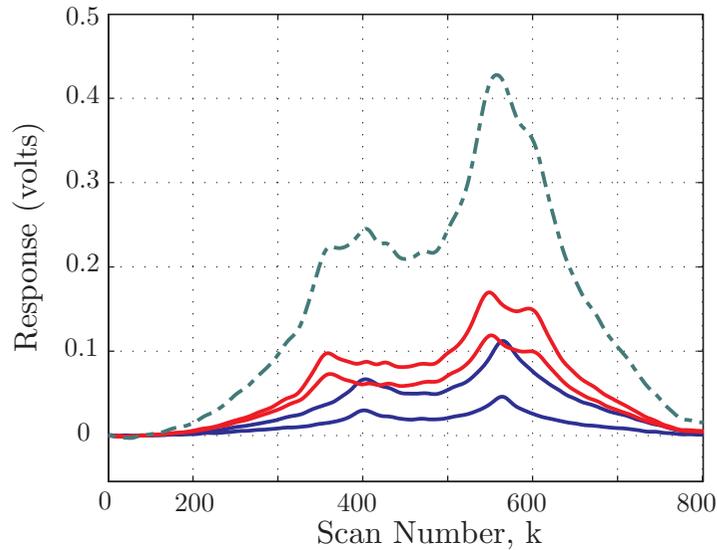


Multi-Vehicle Events



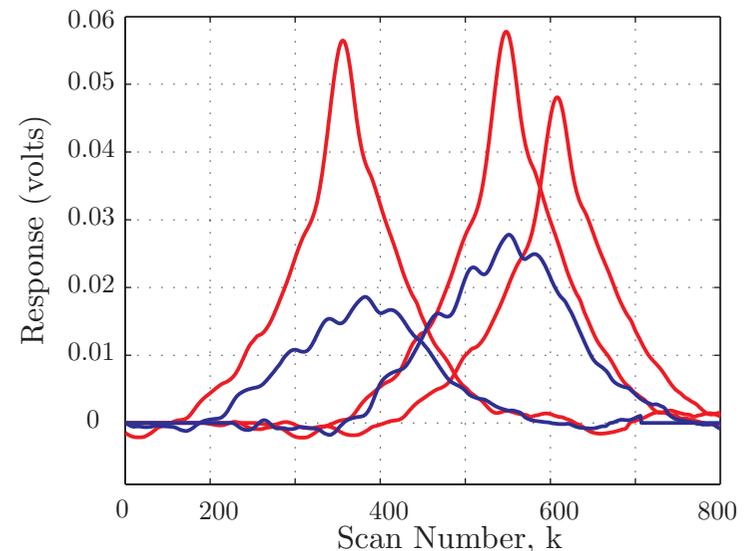
$V_1 = L / (t_4 - t_1)$ and $S_{11} = V_1 / (t_3 - t_1)$ etc...

Multi-Vehicle Algorithm

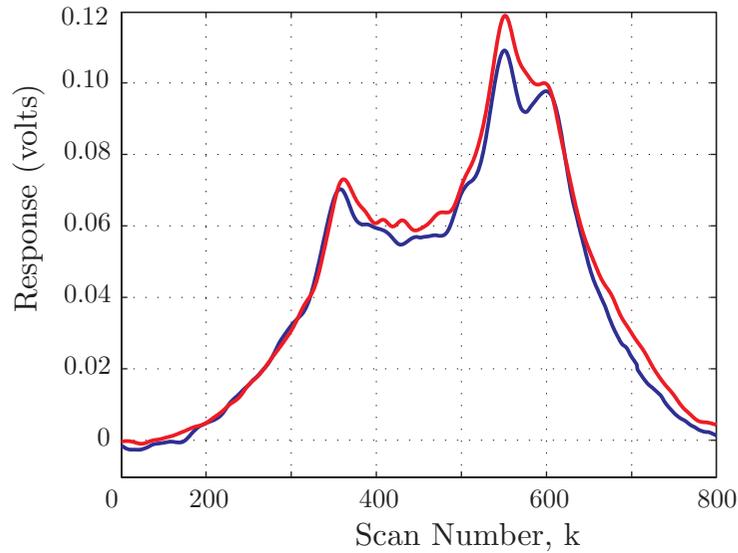


➤ Difficult to distinguish individual vehicles from total strain response...

- Influence surface allows each axle to be accounted for...
- Algorithm varies each parameter to minimise objective function...



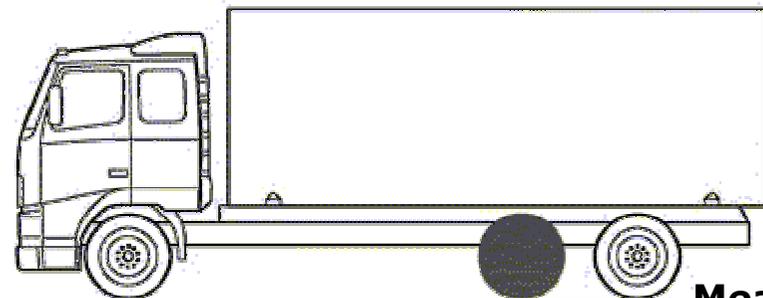
Multi-Vehicle Results



- i.e. fit the measured and theoretical curve of each sensor...
- Results output once function minimised

Multi-vehicle errors

- % difference between B-WIM and Static weights



Mean 0.01%
St Dev 2.86%

GVW: Mean 0.05%
St Dev 3.06%

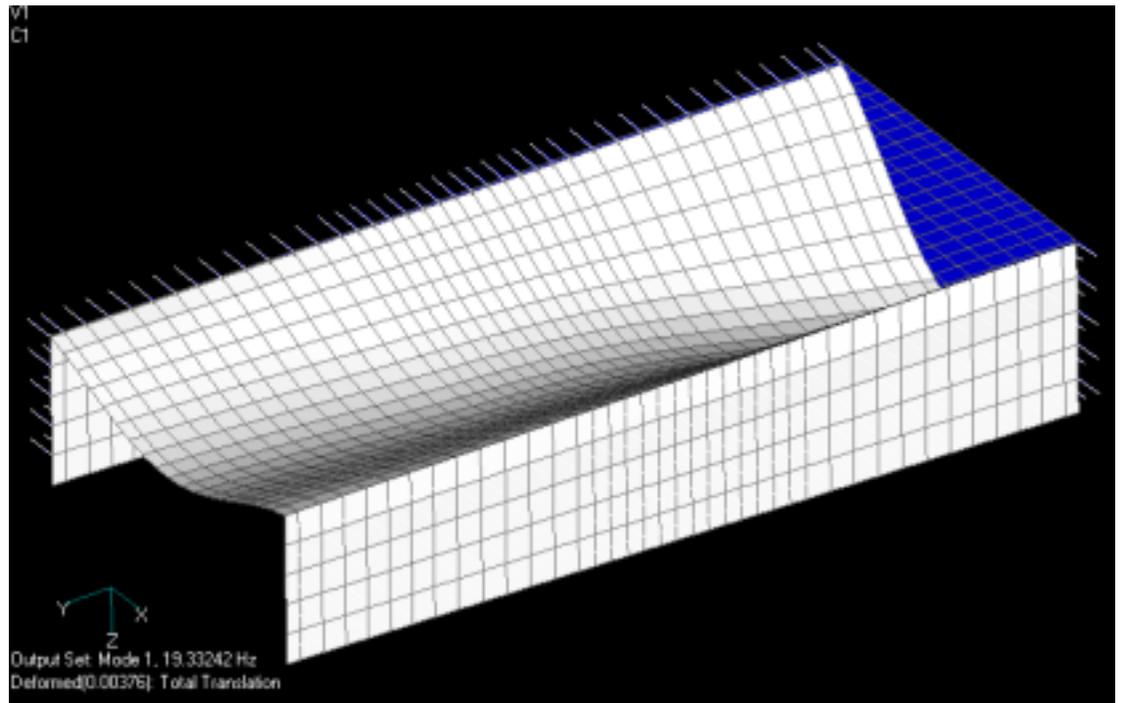
Multi-Vehicle Results

Östermalms IP Bridge
Single (23No.) and Multi-Vehicle (10No.)
events

Criterion	No.	Mean (%)	Std Dev (%)	Class
Gross Weight	33	-0.10	1.87	B+(7)
Group of Axles	16	0.08	1.54	A(5)
Single Axle	50	-0.45	3.33	B(10)

Current Work

- Detailed FEM model of Östermalms IP bridge constructed with UCD
- Parameters varied to match measured response



- 'Self-Calibration' method under development

Conclusions

- Influence Line generation fully automated
- Influence Surface shown to improve results
- Transverse position of crossing truck available as additional output
- Multi-Vehicle events accounted for
- Current work hopes to validate experimental results and allow 'Self-Calibration'